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A Learning Model for Recommendation of Humor Documents

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MrHumor

HrHumor

가

MrHumor

SVM

k-NN

3

1.

(information recommendation)

(information filtering)

가

MrHumor

(latent variable model)

PLSA

(probabilistic latent semantic analysis)

가 가

(demographic)

(collaborative filtering)

(contents-based filtering),

[1].

(item)

SVM (support vector machine)

가 (rating vector)

PCA (principal

component analysis)

가

(variance)

k

가

k-NN

2.

PLSA

-1

(latent variable)

가

(category)

가

가

dl)

(sentence length or sl),

(term)

(document length or

t

EM (expectation maximization)

(1)~ (4)

[3].

t

가

가

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[1].

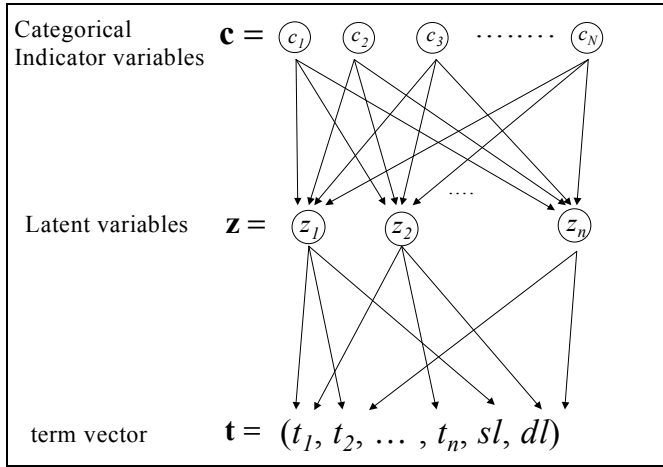
(elementary vector)

z_k
 $n(\cdot)$

t c

MrHumor(<http://MrHumor.snu.ac.kr>)

3가
가
가 가



-1 PLSA

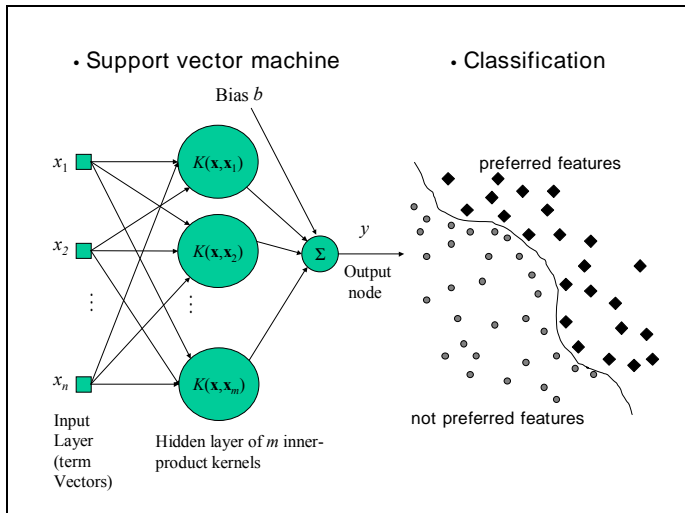
$$P(z_k | \mathbf{t}, \mathbf{c}) = \frac{P(z_k)P(\mathbf{c} | z_k)P(\mathbf{t} | z_k)}{\sum_{z'_k} P(z'_k)P(\mathbf{c} | z'_k)P(\mathbf{t} | z'_k)} \quad (1)$$

$$P(\mathbf{c} | z_k) = \frac{\sum_{\mathbf{t}} n(\mathbf{c}, \mathbf{t})P(z_k | \mathbf{c}, \mathbf{t})}{\sum_{\mathbf{c}', \mathbf{t}} n(\mathbf{c}', \mathbf{t})P(z_k | \mathbf{c}', \mathbf{t})} \quad (2)$$

$$P(\mathbf{t} | z_k) = \frac{\sum_{\mathbf{c}} n(\mathbf{c}, \mathbf{t})P(z_k | \mathbf{c}, \mathbf{t})}{\sum_{\mathbf{c}, \mathbf{t}'} n(\mathbf{c}, \mathbf{t}')P(z_k | \mathbf{c}, \mathbf{t}')} \quad (3)$$

$$P(z_k) = \frac{1}{R} \sum_{\mathbf{c}, \mathbf{t}} n(\mathbf{c}, \mathbf{t})P(z_k | \mathbf{c}, \mathbf{t}), R = \sum_{\mathbf{c}, \mathbf{t}} n(\mathbf{c}, \mathbf{t}) \quad (4)$$

-2 SVM (classification)



-2 SVM

SVM (6) SVM (7) SVM (basis)

function) 가 \mathbf{w}

$$Q(\alpha) = \sum_{i=1}^n \alpha_i - \frac{1}{2} \sum_{i,j=1}^n \mathbf{a}_i \mathbf{a}_j y_i y_j H(\mathbf{x}_i, \mathbf{x}_j) \quad (5)$$

$$\sum_{i=1}^n y_i \alpha_i = 0, \quad 0 \leq \alpha_i \leq \frac{C}{n}, i=1, \dots, n \quad (6)$$

$$\mathbf{w} = \sum_{i=1}^n \alpha_i y_i \mathbf{x}_i, \quad \alpha_i \geq 0, i=1, \dots, n \quad (7)$$

, \mathbf{r}_u , \mathbf{R}

$$\mathbf{r}_u = (r_{u1}, r_{u2}, \dots, r_{uN})$$

$$\mathbf{R} = \{\mathbf{r}_1, \mathbf{r}_2, \dots, \mathbf{r}_U\}$$

r_{ui} u i 가
 $|r_u - r_v|$ v 가
 $\cdot MrHumor$ \mathbf{r}_u
 \mathbf{R} PCA
 (principal component analysis)
 2 가 가 k
 가 k
 k -NN -1

- $$\mathbf{z}_u = \left(\frac{r_{u1} - E(r_u)}{\sigma(r_u)}, \dots, \frac{r_{uN} - E(r_u)}{\sigma(r_u)} \right)$$
- \mathbf{Z} SVD(Singular Value Decomposition)

$$\mathbf{Z} = \mathbf{U}\mathbf{\Sigma}\mathbf{V}^T$$
- 가 가 2 \mathbf{V}'
- 2
- $$\mathbf{Y} = \{\mathbf{y} | \mathbf{y} = \mathbf{z}\mathbf{V}', \mathbf{z} \in \mathbf{Z}\}$$

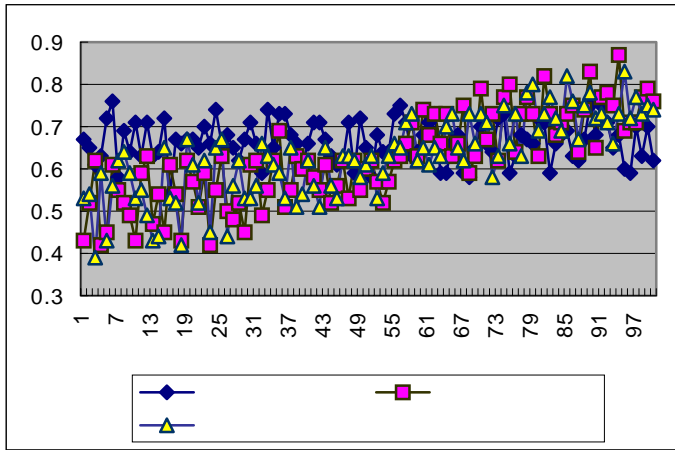
$$K = \{(k_{iu}, \sigma_i^2)\} \cdot (KNN(k, u) \mathbf{y})$$

$$k_{iu} = \arg \min_k \left(\frac{\sum_{j \in KNN(k, u)} r_{ji}}{k} - r_{ui} \right)$$

$$\sigma_i^2 = VAR(r_{ui})$$
- 5 K (linear regression)
 k_{iu} σ_i^2

-1 k-NN

가 58 100
 가 5800
 5800 가
 가 100 가
 가 1 10 가
 가 2
 가
 가
 (mean value)
 () 가
 가 0.5 가
 -3



-3

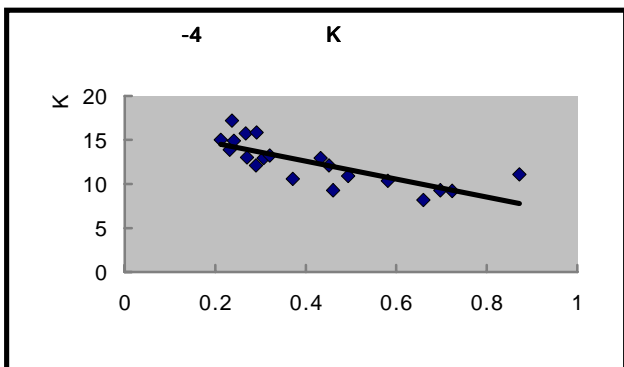
-3

가

-4
 가

k-NN

k



(8)

$$D = \arg \max_D (\lambda_d f_d(D) + \lambda_s f_s(D) + \lambda_k f_k(D)) \quad (8)$$

where, $\lambda_d(N) = 1 (N < 55), 0 (N \geq 55)$

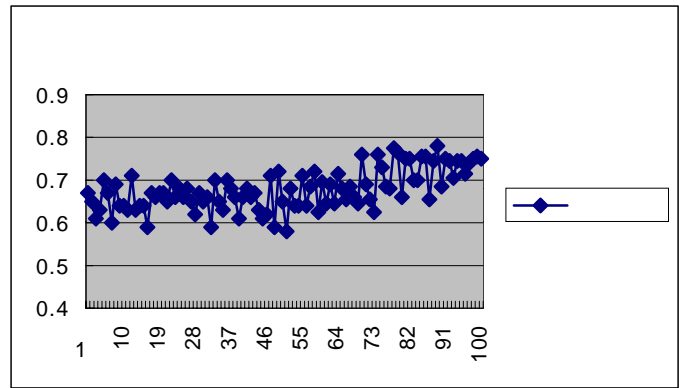
$$\lambda_s(N) = 0 (N < 55), \frac{4N_k}{4N_k + N_s} (N \geq 55)$$

$$\lambda_k(N) = 0 (N < 55), \frac{4N_s}{4N_k + N_s} (N \geq 55)$$

f_d, f_s, f_k , SVM, k-NN

$$N_s, N_k (N_s + N_k = N)$$

SVM 가
 -4 (8)



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3.

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(AITrc)

2001

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